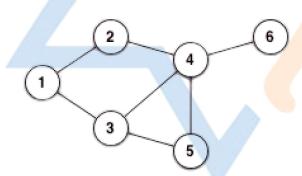


Types of Graphs in DSA

Graphs can be categorized based on **edge orientation**, **edge multiplicity**, **weights**, **and connectivity**. Below are the major types:

Undirected Graph

- An undirected graph is a graph in which edges have no orientation.
- The edge (x, y) is identical to (y, x).
- Maximum number of edges (without loops) = n×(n-1)2\dfrac{n \times (n-1)}{2}2n×(n-1).



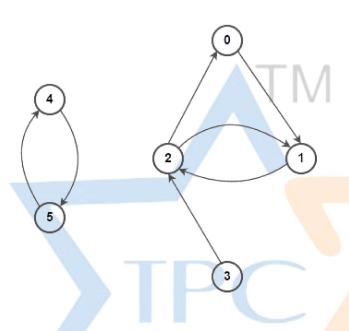
2 Directed Graph (Digraph)

- A directed graph is a graph in which edges have direction.
- The edge (x, y) is **not the same** as (y, x).



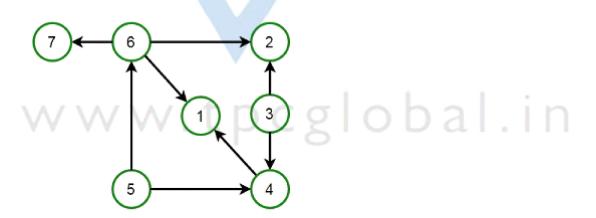
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Example: Twitter follow graph.



Directed Acyclic Graph (DAG)

- A DAG is a directed graph that has no cycles.
- Widely used in scheduling, task ordering, and compiler design.

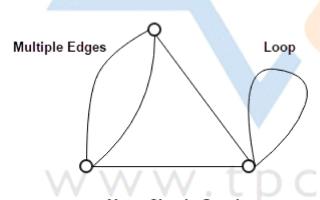


Multigraph

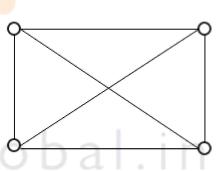
- A **multigraph** is an undirected graph where **multiple edges** (parallel edges) and sometimes **loops** are allowed.
- Multiple edges: Two or more edges connecting the same pair of vertices.
- Loop: An edge that connects a vertex to itself.

Simple Graph

- A **simple graph** is an undirected graph where **no loops** and **no multiple edges** are allowed.
- For nnn vertices, maximum degree of any vertex = n−1n-1n-1.





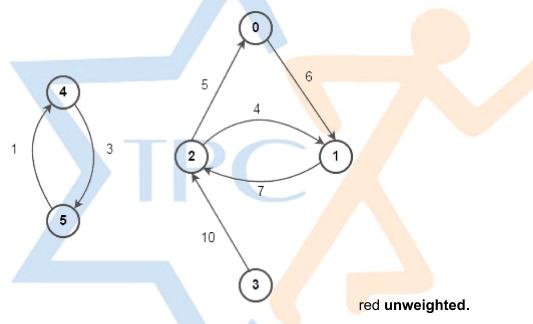


Simple Graph



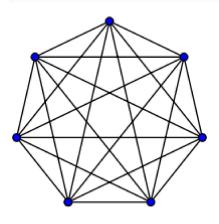
Weighted and Unweighted Graph

- Weighted Graph: Each edge has a weight (cost, distance, or length).
- **Unweighted Graph**: No values are associated with edges (equivalent to assigning all edges weight = 1).
- By default, unless specified, graphs are conside



Complete Graph (Kn)

- A graph in which every two vertices are directly connected by an edge.
- For nnn vertices, total edges = $n(n-1)2 \cdot (n(n-1)){2}2n(n-1)$.



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Connected and Disconnected Graph

- Connected Graph: A path exists between every pair of vertices.
- Disconnected Graph: At least one vertex is not reachable from another.

